

Isolated photon-hadron correlations analysis in pp collisions at 7 TeV with ALICE at the LHC

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▶ Motivations

- Parton energy loss
- Energy redistribution
- Energy loss measurement

▶ Analysis

- Photons identification
- Isolated photons purity
- Underlying event subtraction

▶ Perspectives

Effects of QGP phase in HIC

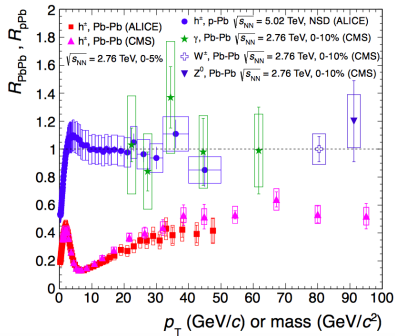
- ▶ QGP phase implies **final state modification** compared to pp collisions (i.e in vacuum)
 - Collective effects
 - Quarkonia melting
 - Suppression of high p_T particles
 - ...
- ▶ Aim: **probing QGP** \Leftrightarrow quantify final state modification to better understand strong interaction in dense matter
- ▶ Observable for final state modification:

$$R_{AA} = \frac{\left(\frac{1}{N_{evt}^{AA}}\right) \frac{d^2 N_{ch}^{AA}}{d\eta dp_T}}{\langle N_{coll} \rangle \left(\frac{1}{N_{evt}^{pp}}\right) \frac{d^2 N_{ch}^{pp}}{d\eta dp_T}}$$

- ▶ $R_{AA} = 1$ if AA collisions = $n \times$ pp collisions

High p_T particles suppression

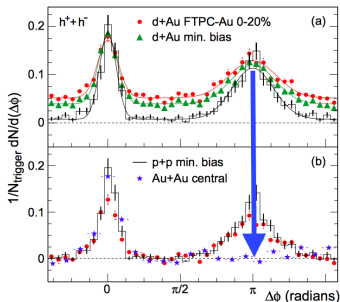
- ▶ Hadrons:
 - **suppressed** in HIC compared to pp
 - unchanged in pA collisions compared to pp
- ▶ Photons, Z and W^\pm unchanged



arXiv : 1405.2737

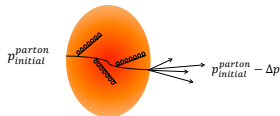
⇒ High p_T particles suppression observed due to parton energy loss in medium

- ▶ Tomographic information:
 - back-to-back jet is suppressed in HIC



PhysRevLett: 91,072304

- ▶ Parton loses energy by:
 - gluon radiation (can be dominant)
 - collisions

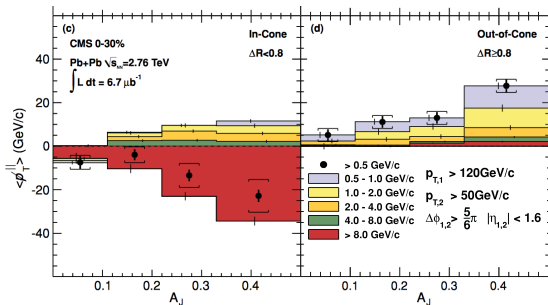


⇒ What's the **amount** of energy lost and **where** does this energy go ?

Energy redistribution

- ▶ From jet analysis (CMS):
 - di-jet momentum imbalance measurement
 - In-cone imbalance **corresponds** to out-of-cone imbalance

$$\langle p_T^{\parallel} \rangle = \sum_i -p_T^i \cos(\phi_i - \phi_{\text{leading jet}}) \quad (1)$$



PhysRevC: 84,024906

⇒ Energy is not recovered in the jet cone and is redistributed preferentially with low p_T particles

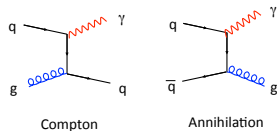
Energy loss measurement: observables

- ▶ Until now: proof of parton energy loss in medium
- ▶ Interest: **quantify** parton medium induced energy loss
- ▶ Several observables (from basic to subtle):
 - Single particle p_T spectrum (R_{AA}) : do not allow precise measurement of energy loss
 - Di-hadron correlations : biased measurement of initial parton energy
 - γ -hadron correlations : approximation of fragmentation fonction
 - γ -jet correlations : exact measurement of fragmentation fonction but only for higher p_T

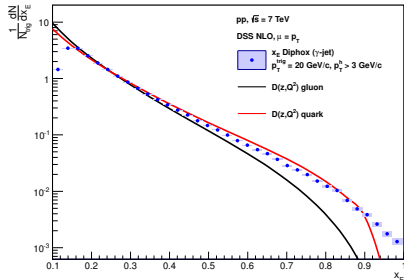
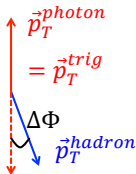
γ -hadron correlations = clean way to measure parton energy redistribution at low p_T

Energy loss measurement: pp reference

- ▶ Aim: Measurement of the **Fragmentation Function** $D(z)$ using γ -jet events produced with hard processes
 - Compton: $q + g \rightarrow \gamma + q$
 - Annihilation: $q + \bar{q} \rightarrow \gamma + g$
- ▶ Initial parton energy known: $E_{\text{parton}}^{\text{initial}} \approx E_{\gamma}$
- ▶ Good approximation of the FF with the x_E distribution



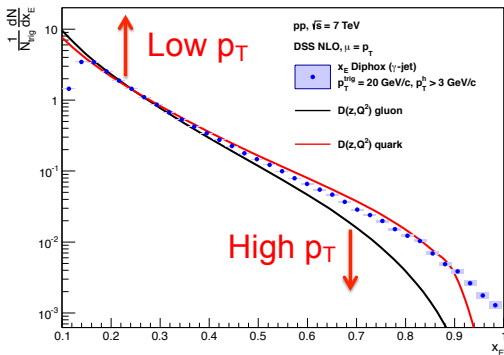
$$x_E = \frac{p_T^{\text{hadron}}}{p_T^{\text{trig}}} \cos \Delta\phi \approx z \quad (2)$$



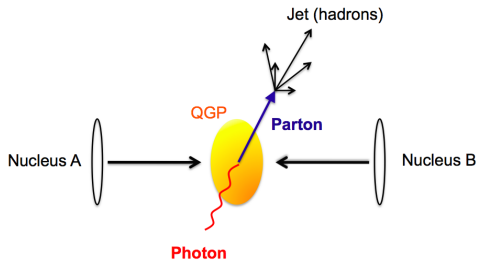
Energy loss measurement in Pb-Pb

► What we expect to see

- Suppression of high p_T particles production
- Modification of the x_E distribution depending on the medium properties

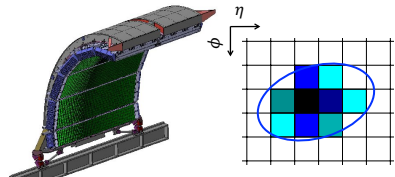
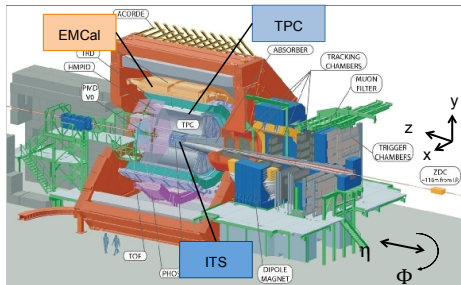
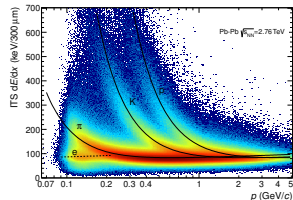


- ▶ Obtain the x_E distribution for isolated photons: $f(x_E) = \frac{1}{N_{trig}^\gamma} \frac{dN_h}{dx_E}$
- ▶ Need to identify:
 - Isolated photons (trigger particles)
 - hadrons coming from the opposite side parton



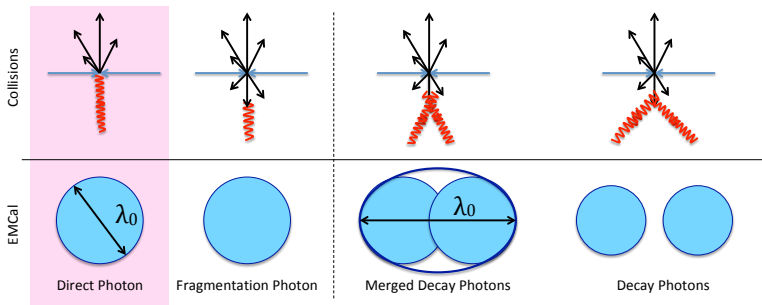
ALICE and EMCal

- ▶ ALICE designed for low p_T particles ID
- ▶ Charged particles : ITS and TPC
- ▶ Neutral particles : EMCal
 - acceptance: $|\eta| < 0,7$ et $\Delta\Phi = 107^\circ$
 - Segmentation in lecture units: towers
 - Showers in EMCal = **clusters**



Photons background contributions

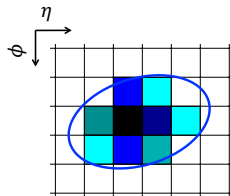
- ▶ Direct photons : isolated and circular clusters
- ▶ **Several** background contributions:
 - $\pi^0/\eta \rightarrow \gamma\gamma$ (2 photons merged in one single cluster)
 - Decay γ from π^0 or η
 - Fragmentation photons
 - Electrons or hadrons



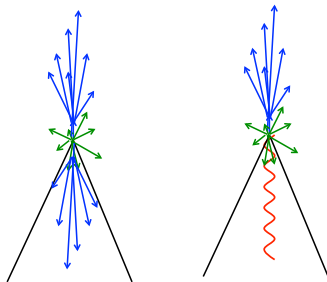
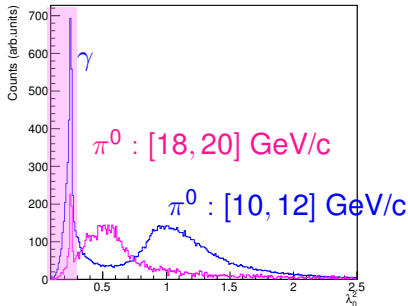
Isolated photons background suppression

Apply cuts on the reconstructed EMCal clusters:

- ▶ Leading particle of the event
- ▶ Charged particles veto
- ▶ Round-shaped cluster ($\lambda_0^2 \in [0.10, 0.3]$)
- ▶ Isolation cut ($p_T^{max} < 0.5$ GeV/c)



After these cuts some contributions remain (at low p_T mostly **decay γ**)



Isolation Cone

Remaining background contributions (γ decays) have to be estimated to extract the isolated photons purity

- ▶ **Purity** definition:

$$p = \frac{\text{direct photons clusters}}{\text{all isolated circular clusters}} = \frac{S_{<}^{isol}}{N_{<}^{isol}} = 1 - \frac{B_{<}^{isol}}{N_{<}^{isol}} \quad (3)$$

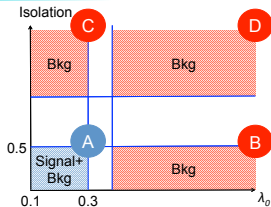
- ▶ **2 different methods**
 - MC correction method
 - Splitting method

Purity: MC correction method

- First assumption (QM 2012):

$$\frac{B_{<}^{isol}}{B_{<}^{\neq isol}} = \frac{B_{>}^{isol}}{B_{>}^{\neq isol}} \quad (4)$$

Proportion of isolated clusters is the same at low and high λ_0^2



- Wrong** assumption: the isolation fractions are **NOT** the same at low and high λ_0^2
- Try now to correct this purity estimate using:
 - jet-jet simulation**: need to have no signal in B, C and D zones

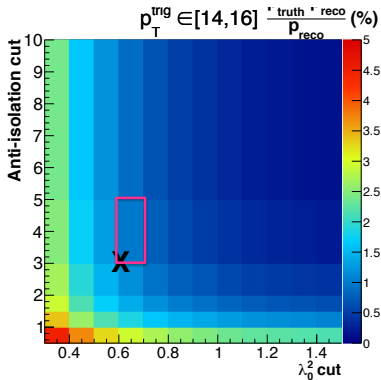
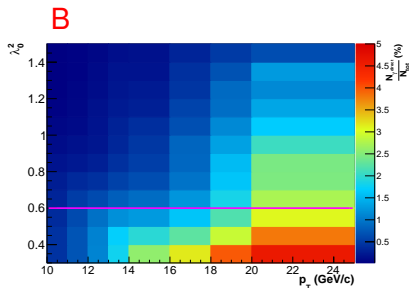
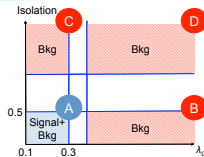
$$p_2 = 1 - \left(\frac{N_{<}^{\neq isol} / N_{<}^{isol}}{N_{>}^{\neq isol} / N_{>}^{isol}} \right)_{data} \times \left(\frac{N_{<}^{isol} / N_{<}^{\neq isol}}{N_{>}^{isol} / N_{>}^{\neq isol}} \right)_{MC(JJ)} \quad (5)$$

- gamma-jet + jet-jet simulation**: take into account possible signal contamination in B, C and D zones

$$p_3 = 1 - \left(\frac{N_{<}^{\neq isol} / N_{<}^{isol}}{N_{>}^{\neq isol} / N_{>}^{isol}} \right)_{data} \times (1 - p_{MC}^{truth}) \left(\frac{N_{<}^{isol} / N_{<}^{\neq isol}}{N_{>}^{isol} / N_{>}^{\neq isol}} \right)_{MC(GJ+JJ)} \quad (6)$$

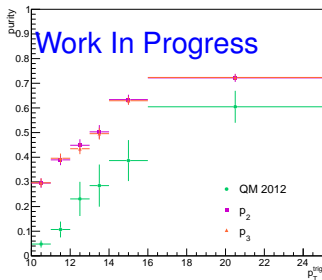
Purity: MC correction method results

- ▶ Choose proper cuts to define background regions B, C and D for each correction
 - Study signal contamination in B, C and D zones
 - Closure test : small difference between true purity and reconstructed with p_2



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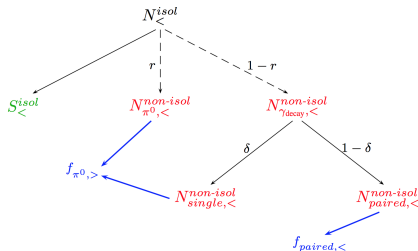
⇒ Both corrections give compatible results with higher purity estimate at low p_T compared to previous result

Purity: Splitting method

- ▶ Better understand background contributions
- ▶ Estimate each background contributions:
 - π^0 , η : 2 decay photons are merged in one cluster
 - Paired gamma decay (from π^0 and η): 2 separated clusters in isolation cone
 - Single gamma decay (from π^0 and η): 1 cluster in isolation cone, partner photon is outside the cone or not reconstructed

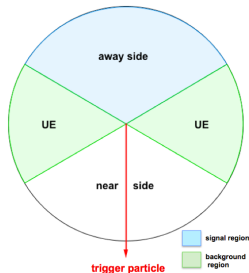
- ▶ Use several parameter to estimate purity:

- Proportion of species $r_{i,<}^{iso}$ (MC)
- Isolation fraction $f_{i,<}$ (data)
- Fraction of single gamma decays δ_i (MC)



Underlying Event (UE) subtraction

- ▶ UE: Not all the hadrons of the event are coming from the hard process \Rightarrow some hadrons have to be disregarded for x_E calculation
- ▶ In pp collisions: particles production is **isotropic in azimuth** \Rightarrow UE is the same in different ϕ region
- ▶ To avoid jet contamination (coming from opposite side parton), UE is estimated in cones **orthogonal** to trigger particle



The x_E distribution for isolated photons is defined as:

$$f(x_E)^\gamma = \frac{1}{\rho} f(x_E)^{clusters} - \frac{1-\rho}{\rho} f(x_E)^{\pi^0} - f(x_E)^{UE} \quad (7)$$

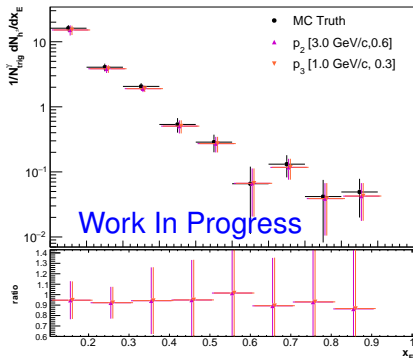
- ▶ $f(x_E)^{clusters}$: all isolated and circular clusters
- ▶ $f(x_E)^{\pi^0}$: estimated with high $\lambda_0^2 \pi^0$ clusters
- ▶ $f(x_E)^{UE}$: estimated in cones orthogonal to trigger particle

x_E distribution: first result

Compare x_E distributions with black one (use true purity from MC)

- ▶ p_2 : compatible with MC truth
- ▶ p_3 : compatible with MC truth

No visible difference on x_E
when using p_2 or p_3



Slope of x_E distributions is one of the relevant parameter to compare as this is the one used to make comparison with theoretical predictions

⇒ Slopes are compatible

▶ p-Pb:

- Do not expect differences wrt pp analysis: CNM effects **do not affect** the fragmentation function
- Same analysis strategy: use the cones method to estimate UE
- Slope could be compatible with pp result (very preliminary analysis already done)

▶ Pb-Pb:

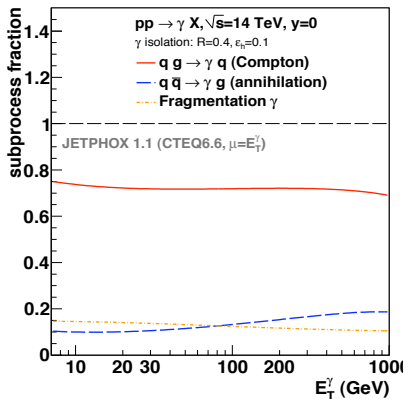
- UE plays a part in:
 - Isolation condition: higher multiplicity ($\approx 10^3$ particles) \rightarrow the UE has to be subtracted **event by event** to be able to apply isolation cut on trigger particle
 - x_E distribution: UE contribution is estimated assuming ϕ isotropic particle production in pp \rightarrow take into account anisotropic flow for Pb-Pb

- ▶ Isolated photon - hadron correlation is a useful tool to access some medium properties
- ▶ The strategy of the analysis has **evolved**, especially for the purity estimate
- ▶ The analysis is **still ongoing** but almost done in pp collisions
- ▶ p-Pb analysis should be very similar to pp one, as shown by the preliminary analysis
- ▶ Pb-Pb analysis will require **more investigation**: the subtraction of the UE and the direct photon identification promise to be challenging

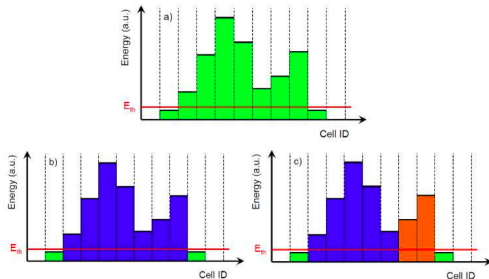
BACK UP

Production fraction of hard processes

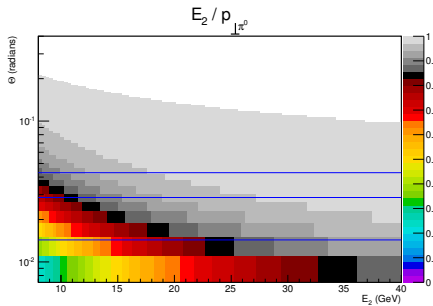
Dominant processus : Compton diffusion $\Rightarrow x_E$ distribution slope approximate the quark FF



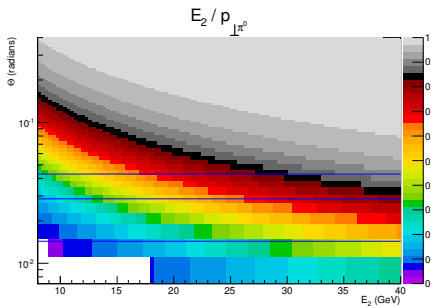
Several types of clusterization to reconstruct particles in EMCal : V1, V2, NxM, V1+Unfolding



Neutral mesons kinematics

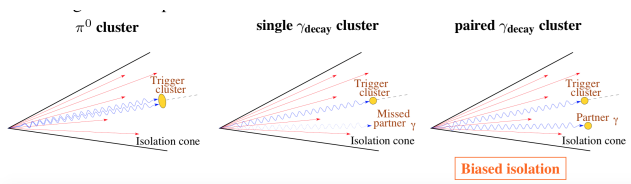


For π^0



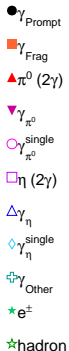
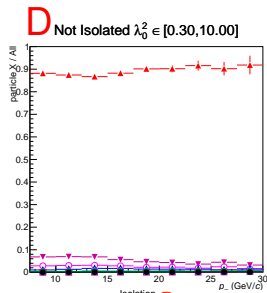
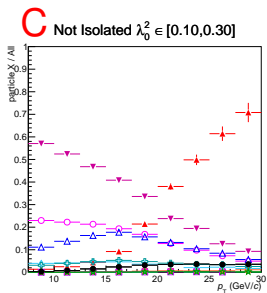
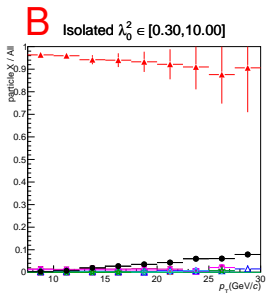
For η

- ▶ Paired gamma decays : present only at low λ_0^2
- ▶ MCC : at high λ_0^2

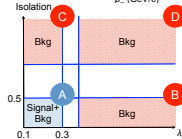


Particles proportions

Proportion of each particle type in background zone B, C and D



- ▶ zone B : close to 10% (grows with p_T)
- ▶ zone C : close to 5% (grows with p_T)
- ▶ zone D : close to 0 → **we neglect signal contribution in this zone**



Closure test

Try to get back to MC truth by replacing data with gamma-jet + jet-jet cocktail

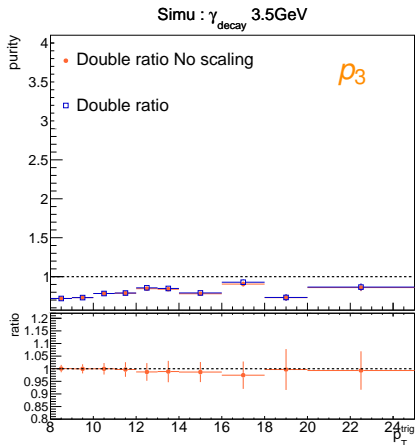
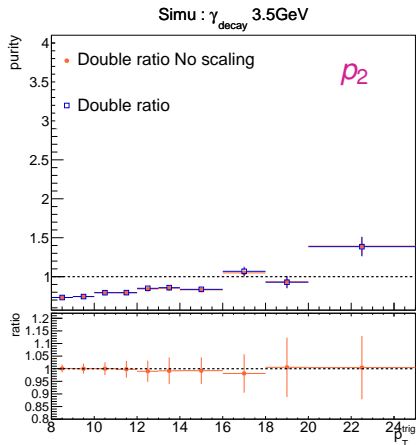
$$\blacktriangleright p_2: \left(\frac{N_{<}^{\neq \text{isol}} / N_{<}^{\text{isol}}}{N_{>}^{\neq \text{isol}} / N_{>}^{\text{isol}}} \right)_{\text{data}} \rightarrow \left(\frac{N_{<}^{\neq \text{isol}} / N_{<}^{\text{isol}}}{N_{>}^{\neq \text{isol}} / N_{>}^{\text{isol}}} \right)_{MC_{GJ+JJ}}$$

$$p_2 = 1 - \frac{S_{<}^{\text{isol}}}{N_{<}^{\text{isol}}} = p_{MC}^{\text{truth}}$$

$$\blacktriangleright p_3: \left(\frac{N_{<}^{\neq \text{isol}} / N_{<}^{\text{isol}}}{N_{>}^{\neq \text{isol}} / N_{>}^{\text{isol}}} \right)_{\text{data}} \rightarrow \left(\frac{N_{<}^{\neq \text{isol}} / N_{<}^{\text{isol}}}{N_{>}^{\neq \text{isol}} / N_{>}^{\text{isol}}} \right)_{MC_{GJ+JJ}}$$

$$p_3 = p_{MC}^{\text{truth}} \text{ by construction}$$

Correction term

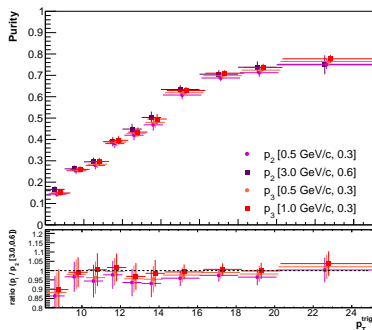


Correction term is close to 1 \Rightarrow the bias is not too big

Comparison p_2 vs p_3

p_3 should be compatible with p_2 if p_3 correctly deal with signal contamination

- ▶ p_2 loose cuts: bias due to signal contamination in bkg regions
- ▶ p_3 loose cuts: little bias. some hypothesis made for p_3 may break down at low p_T
- ▶ p_3 standard cuts: compatible with p_2 tight cuts
- ▶ p_3 tight cuts (see back-up): quasi-perfect match



⇒ **small discrepancy** with p_2 at low p_T : the signal contamination is not perfectly reproduced in GJ+JJ simulation compared to data

⇒ Even with GJ+JJ correction one needs to **be careful** with the choice of anti-isolation and λ_0^2 cuts

Splitting method : formula

► Split the background contributions

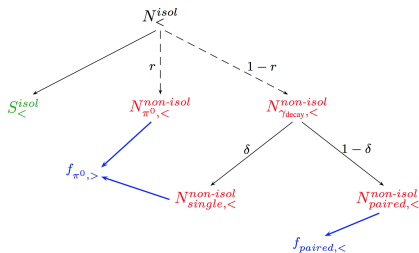
- Proportion of species

$$r_{i,<}^{iso} = N_{i,<}^{iso} / N_{tot,<}^{iso} \quad (\text{MC})$$

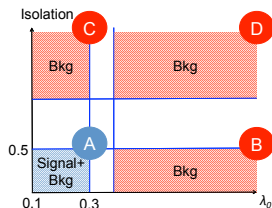
- Isolation fraction $f_{i,<} = N_{i,<}^{iso} / N_{i,<}^{iso+\neq iso}$ (data)

- Fraction of single gamma decays

$$\delta_i = N_i^{single} / N_i^{single+paired} \quad (\text{MC})$$



$$p_4 = 1 - \frac{N_{<}^{non-isol}}{N_{<}^{isol}} \left[\frac{f_{\pi^0,<}^{isol}}{1 - f_{\pi^0,<}^{isol}} r_{\pi^0,<}^{non-isol} - \left(\frac{f_{single\pi^0,<}^{isol}}{1 - f_{single\pi^0,<}^{isol}} \delta_{\pi^0} + \frac{f_{paired\pi^0,<}^{isol}}{1 - f_{paired\pi^0,<}^{isol}} (1 - \delta_{\pi^0}) \right) r_{\gamma\pi^0,<}^{\neq isol} - \left(\frac{f_{single\eta,<}^{isol}}{1 - f_{single\eta,<}^{isol}} \delta_{\eta} + \frac{f_{paired\eta,<}^{isol}}{1 - f_{paired\eta,<}^{isol}} (1 - \delta_{\eta}) \right) r_{\gamma\eta,<}^{\neq isol} \right]$$



(8)

Estimate of UE in Pb-Pb collisions

- ▶ High multiplicity : trigger particle never isolated
- ▶ Subtract UE, then apply isolation cut
- ▶ Estimate in the same ϕ band as the isolation cone

